 **PyCATSH00**

Addressing critical dependencies in the Probabilistic Performance Assessments of multi-purpose systems with PyCATSH00

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# **PPA OF INTER- DEPENDENT SYSTEMS**

# DEPENDENCY TYPES

## Type 1

A device started/stopped according to the **physical state of the system**.

## Type 2

A **device usage shared** between multiple areas and assigned to one of them according to a **priority criteria which evolves over time**.

## Type 3

A **human action shared** between the same kind of activities in two different areas with different **priorities which evolve over time**.

## Type 4

A **human action shared** between two kinds of activities with different but **predefined priorities**.

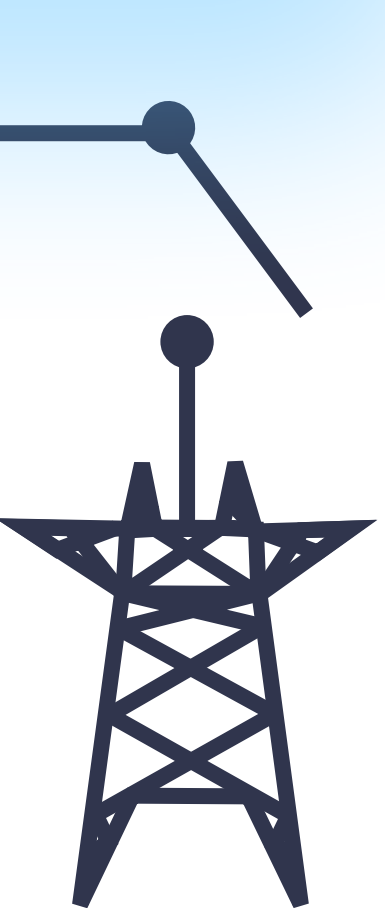
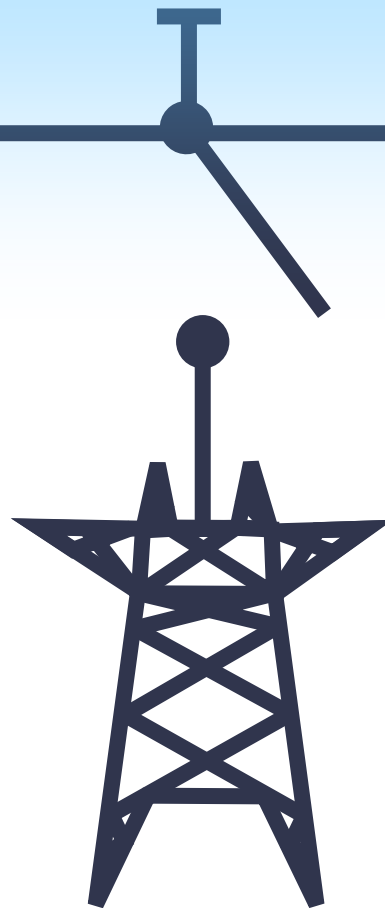
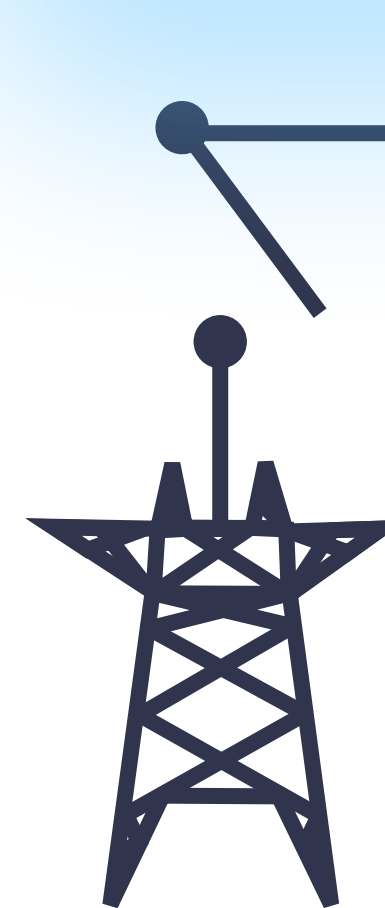
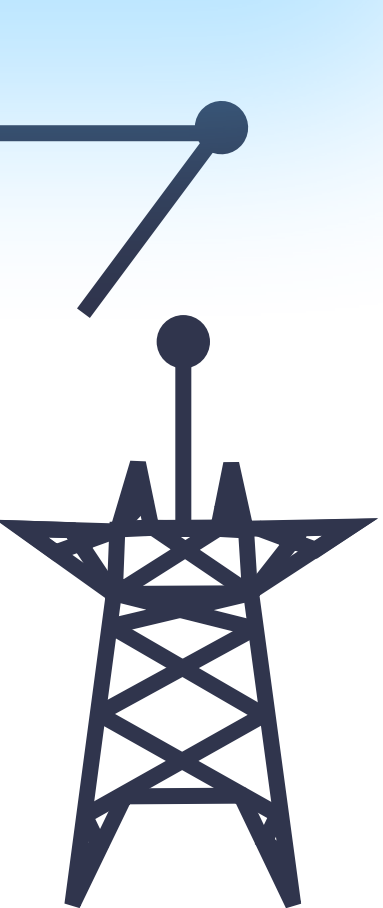
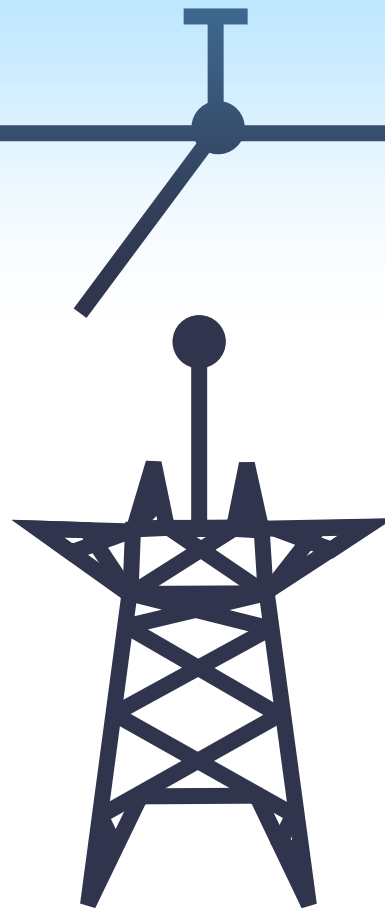
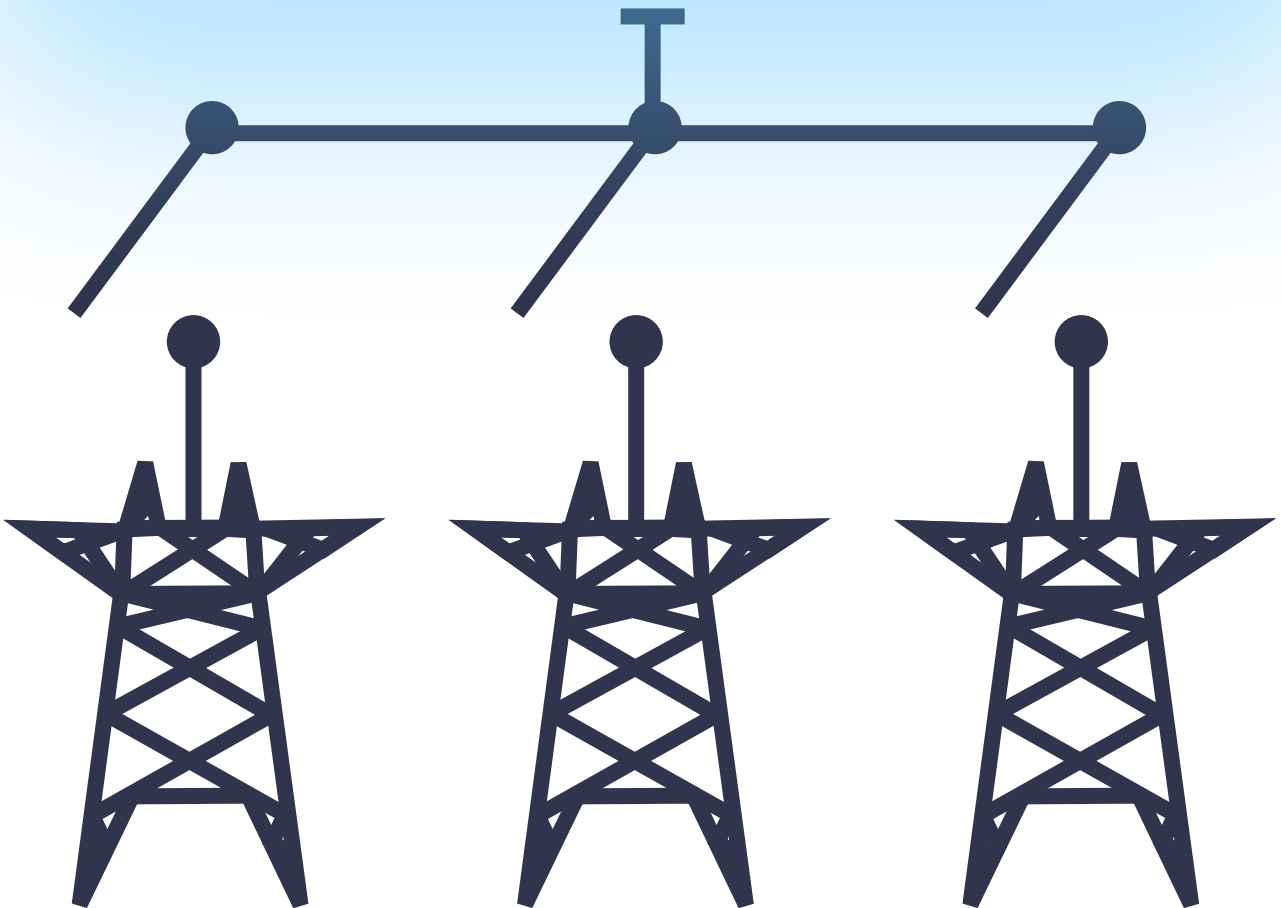
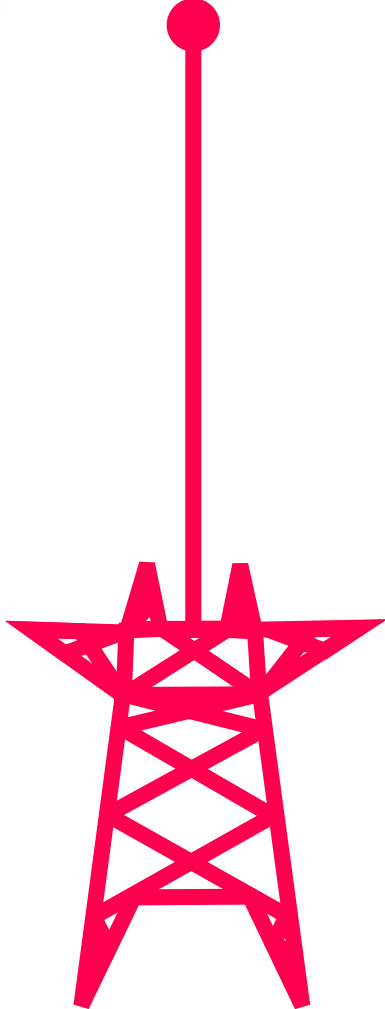
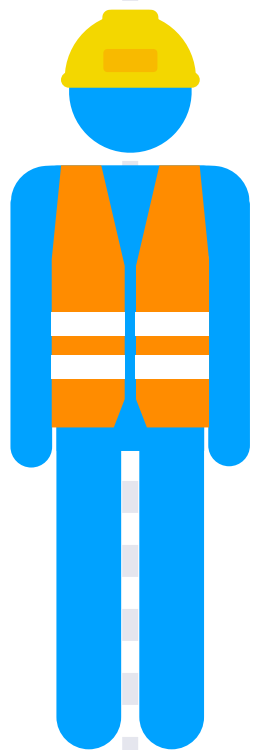
## Type 5

An action which **duration** depends on a **severity measure of the operating context**.

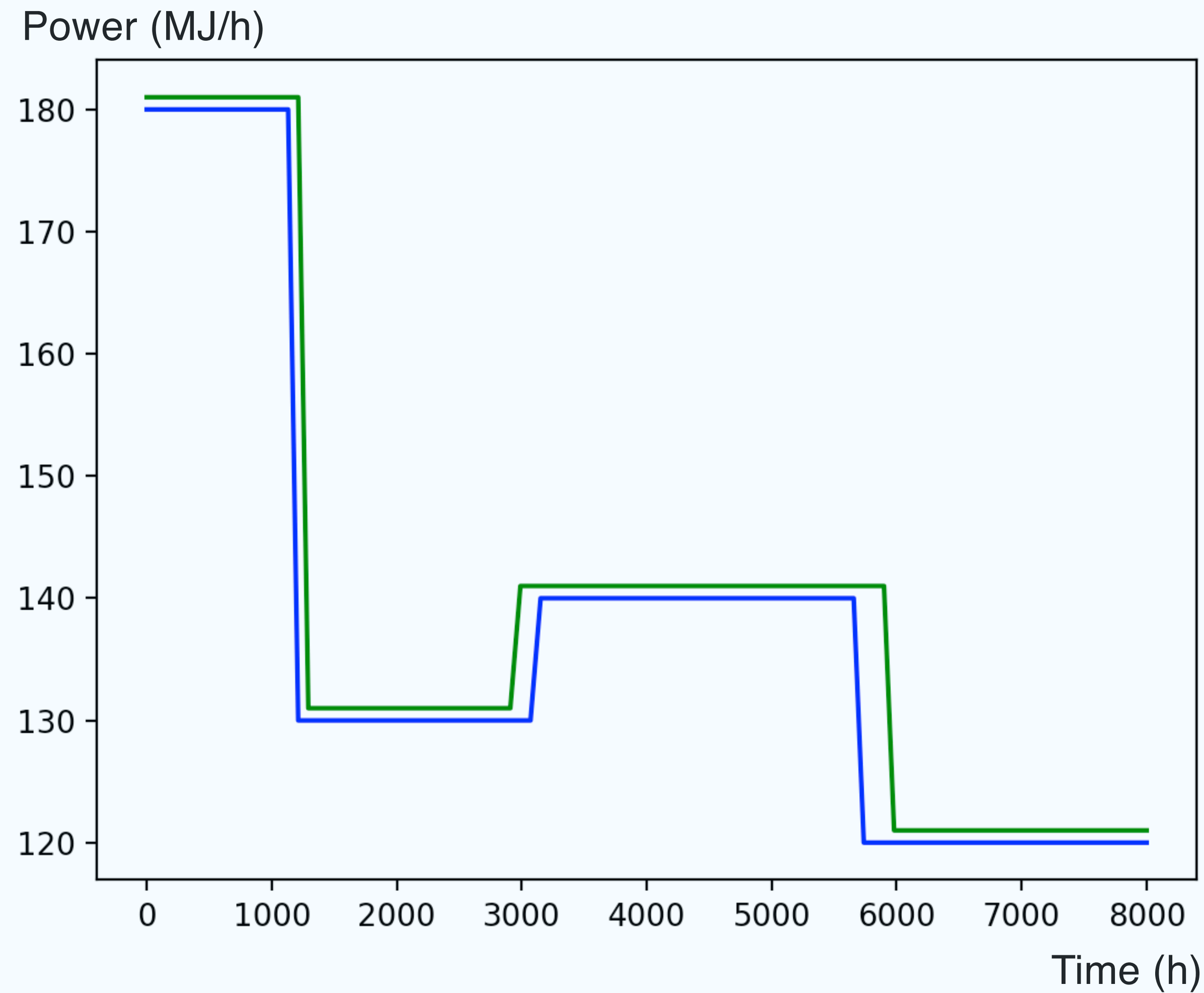
## Type 6

An action which **failure probability** depends on a **severity measure of the operating context**.

# ELECTRICITY SUPPLY

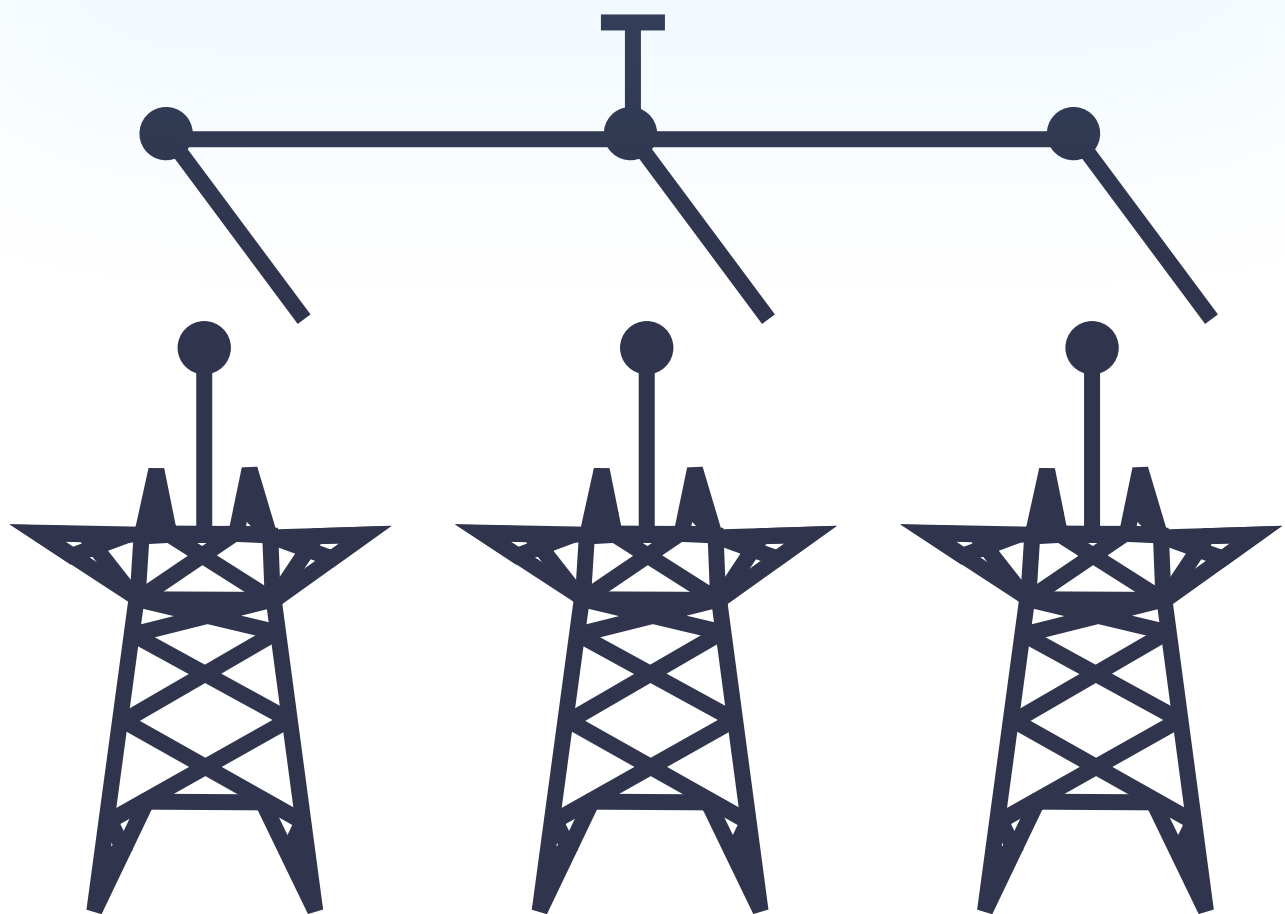
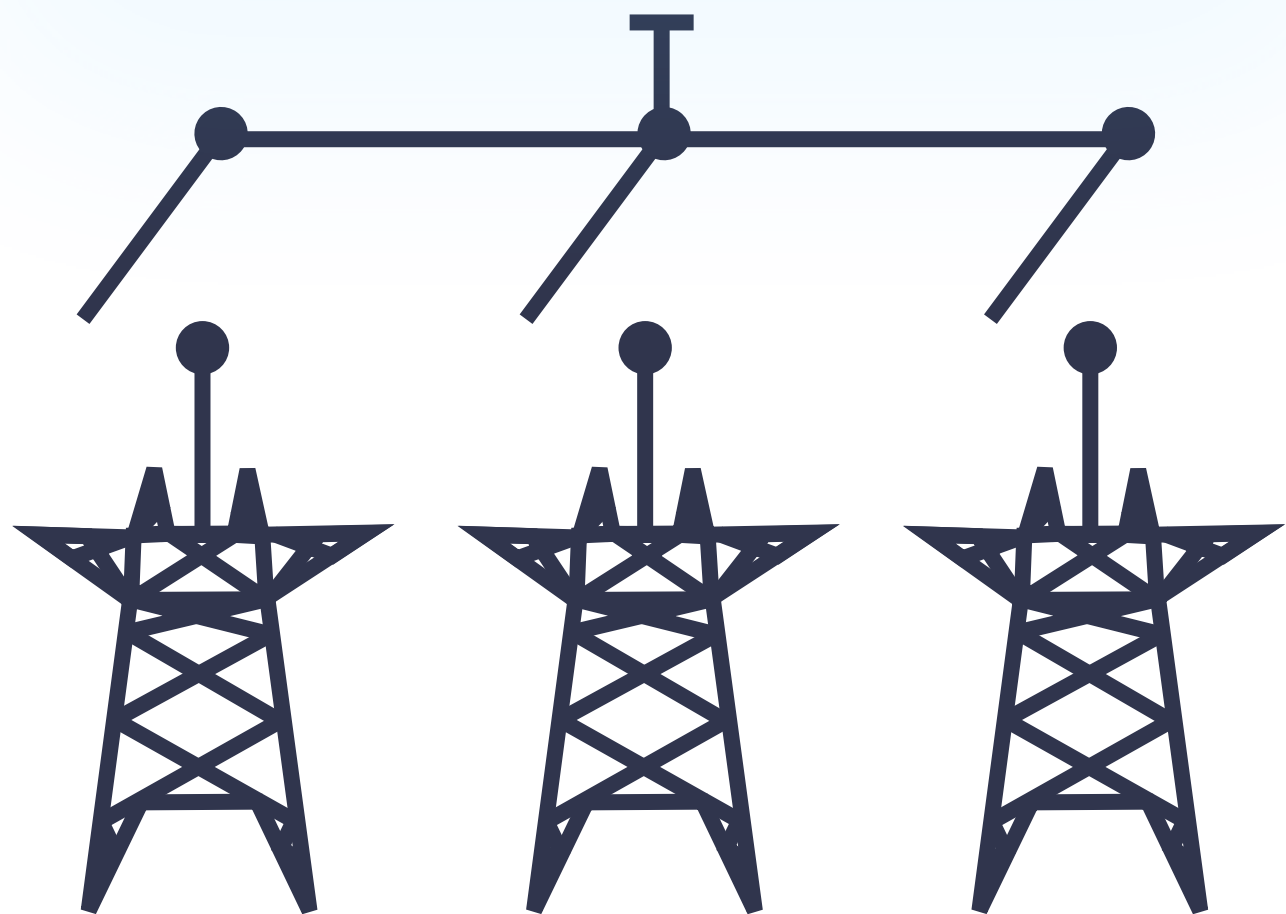
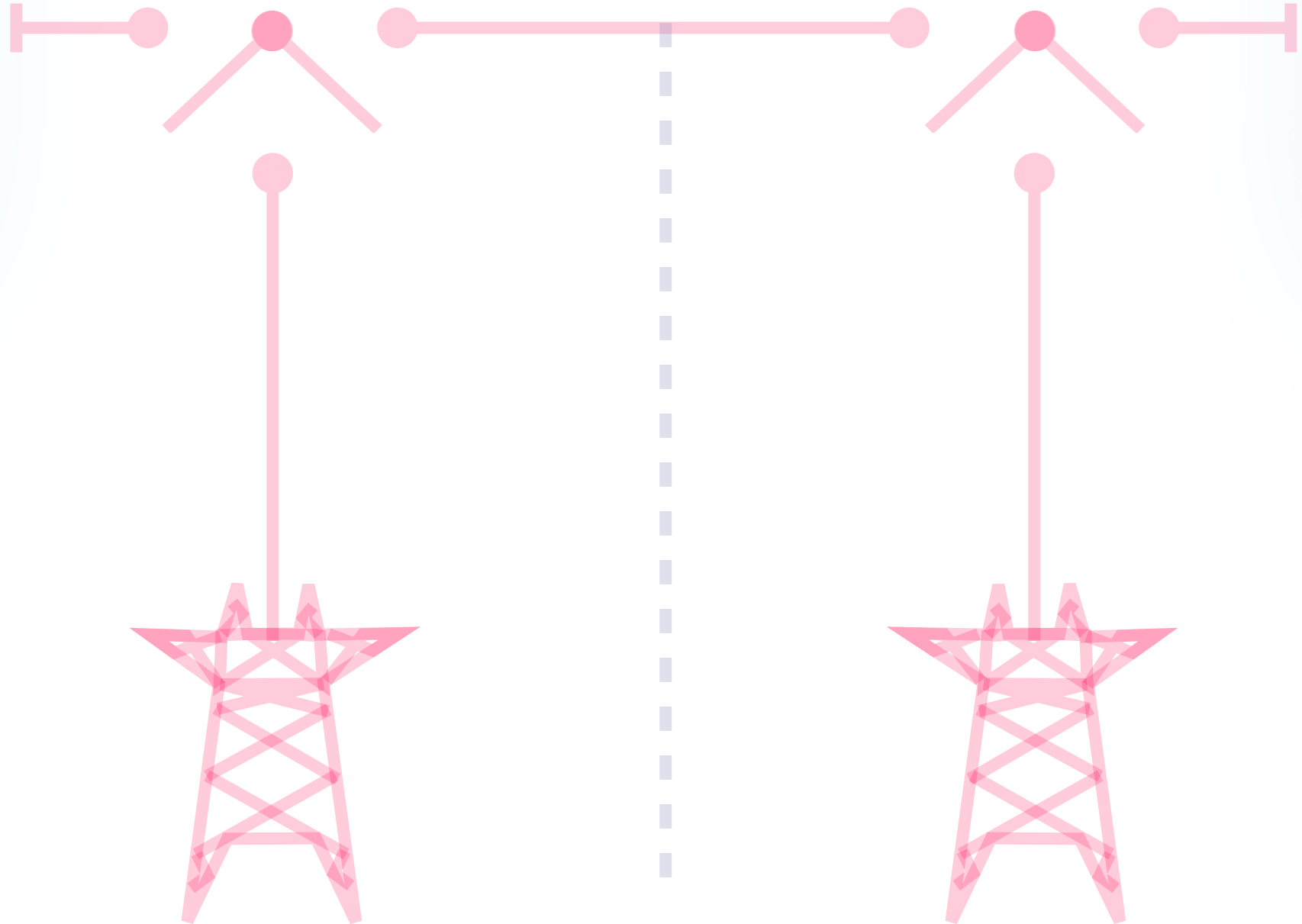
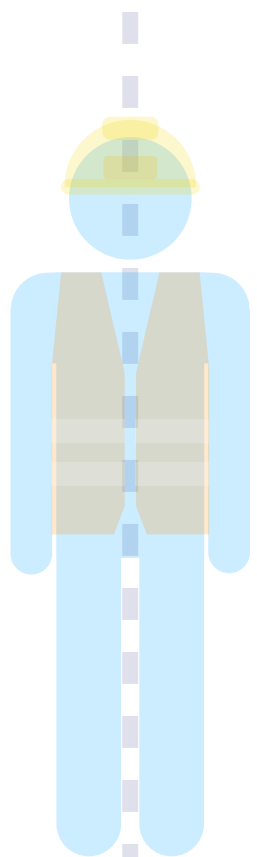


# ELECTRICITY DEMAND

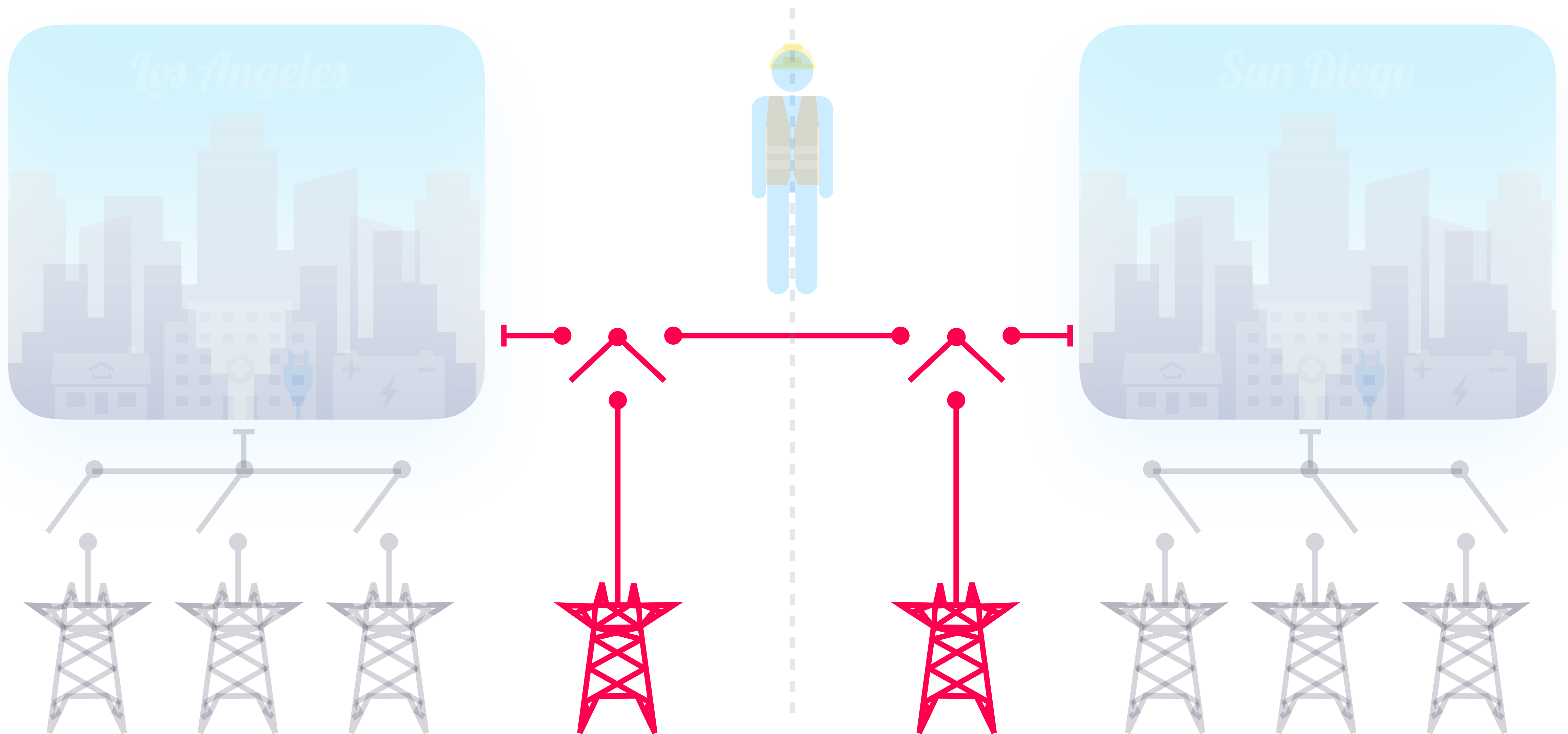


— Los Angeles  
— San Diego

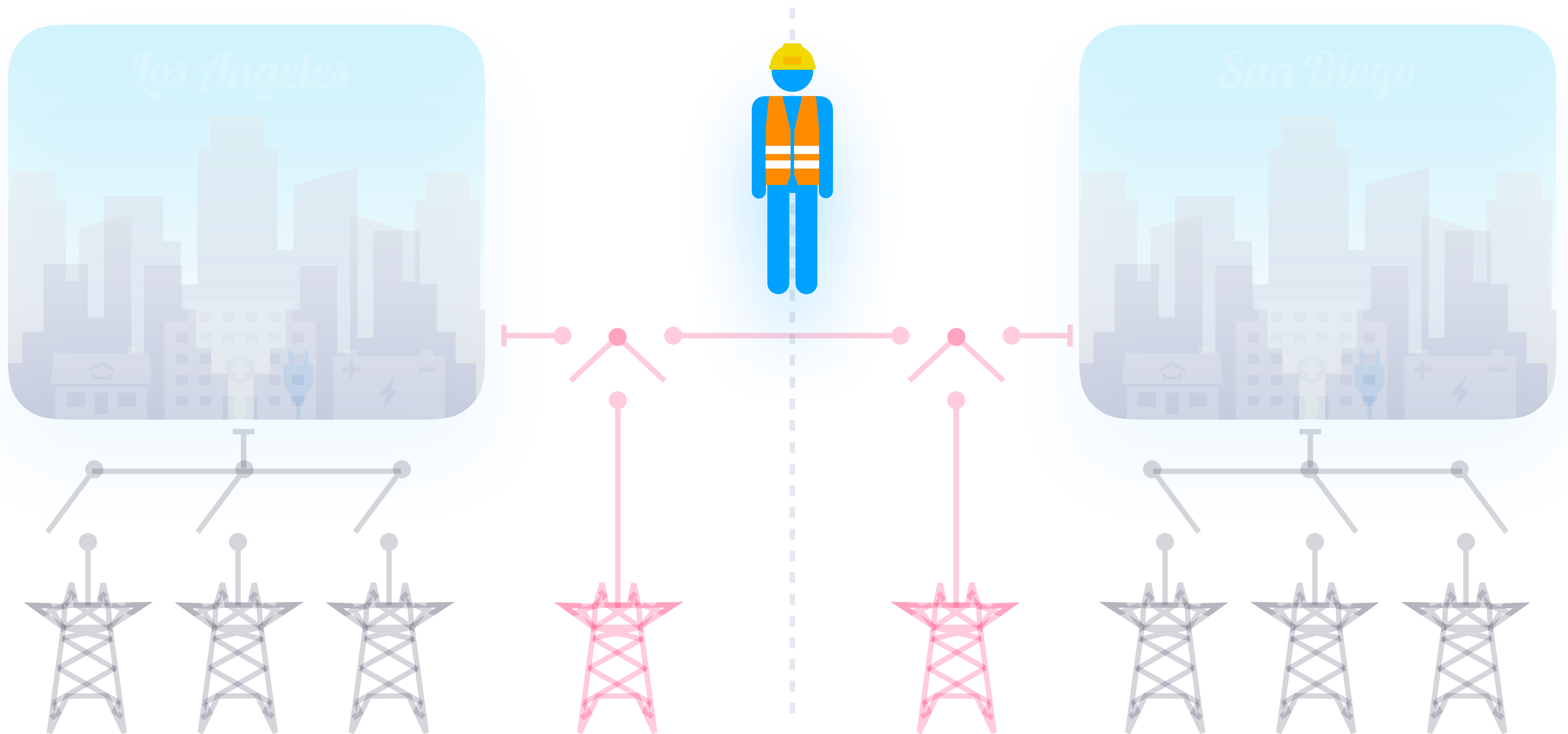
# ELECTRICITY SUPPLY



# ELECTRICITY SUPPLY



# ELECTRICITY SUPPLY









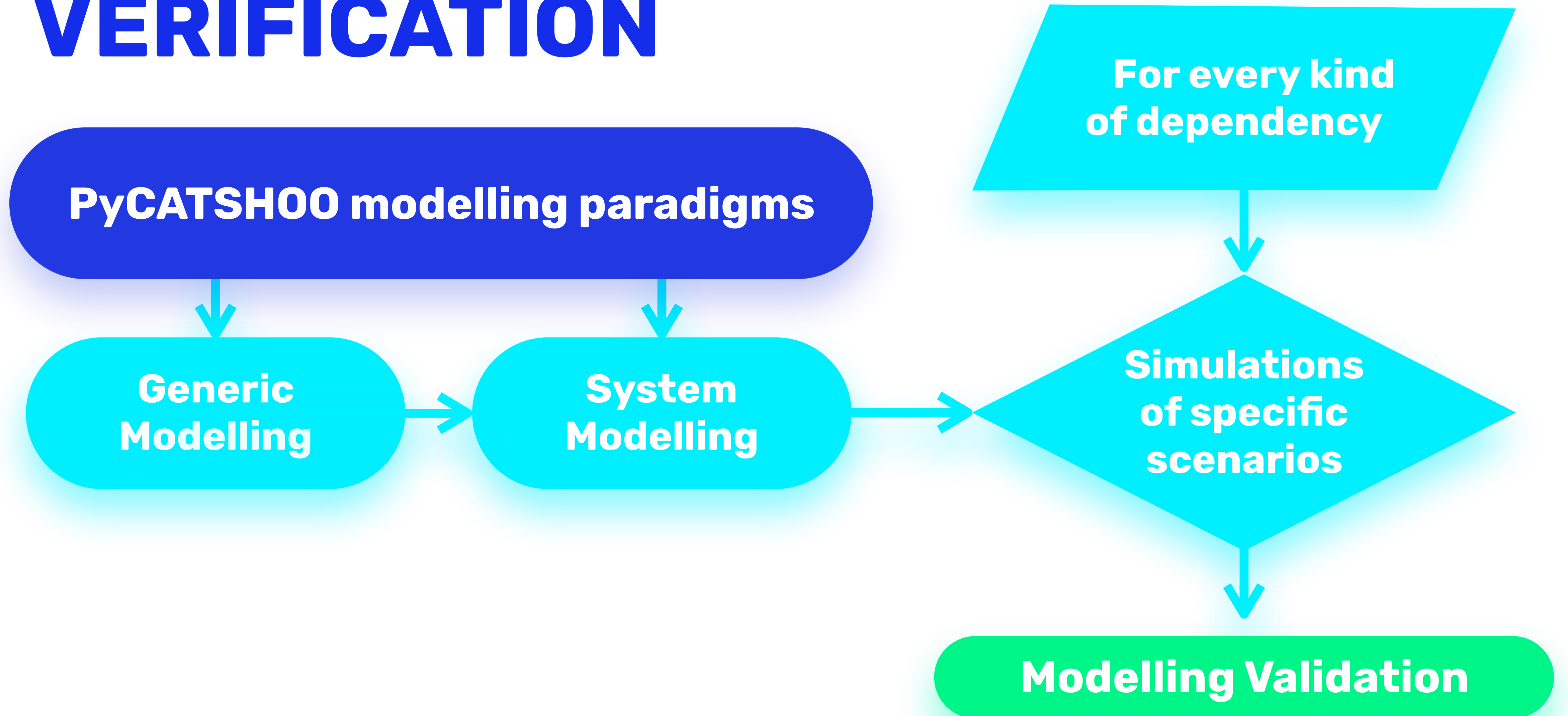
# PyCATSHOO

## HYBRID MODELLING

**CONTINUOUS AND  
DETERMINISTIC  
PHYSICAL PHENOMENA**

**DISCRETE  
STOCHASTIC  
EVENTS**

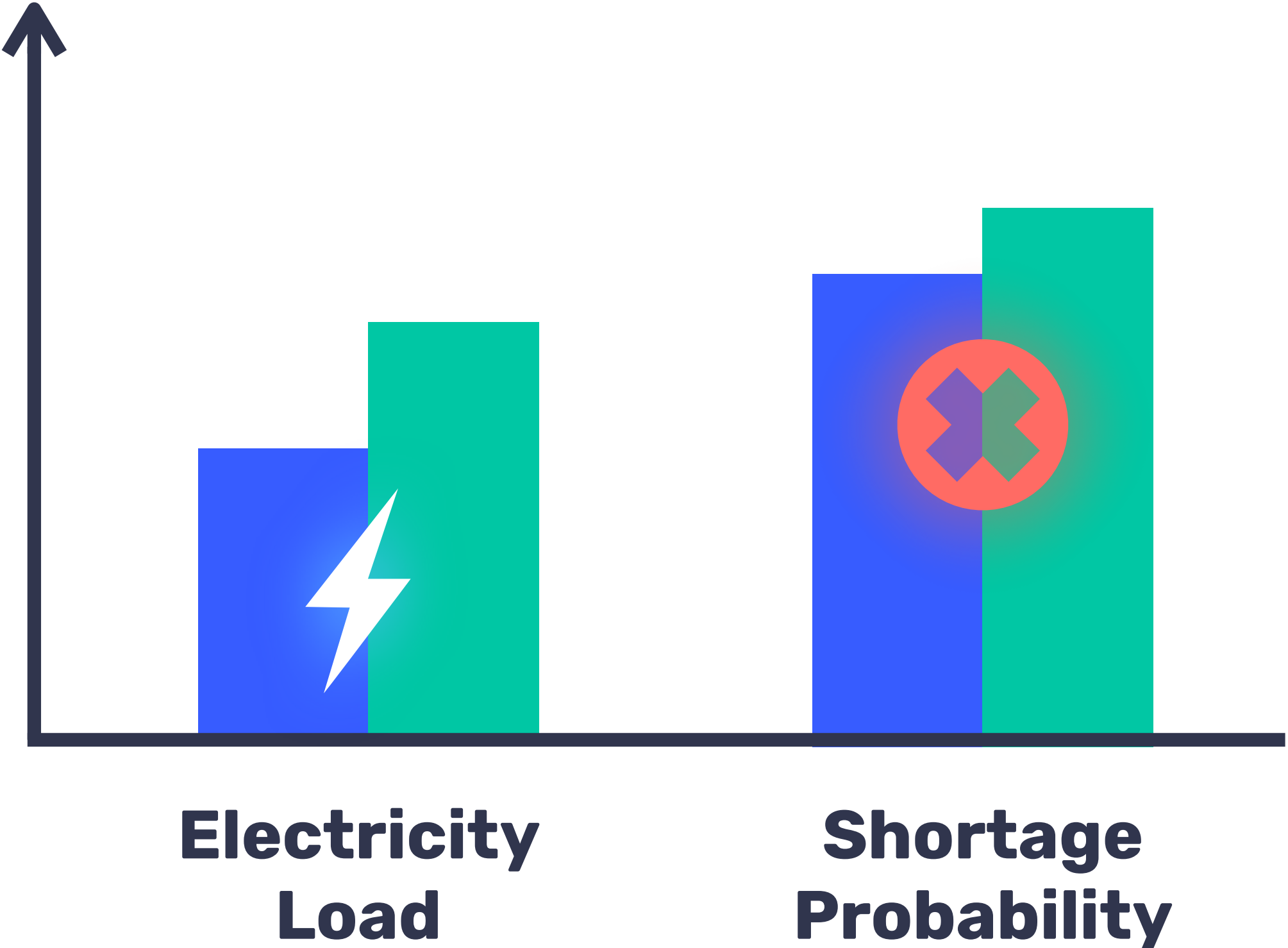
# SYSTEM MODELLING VERIFICATION



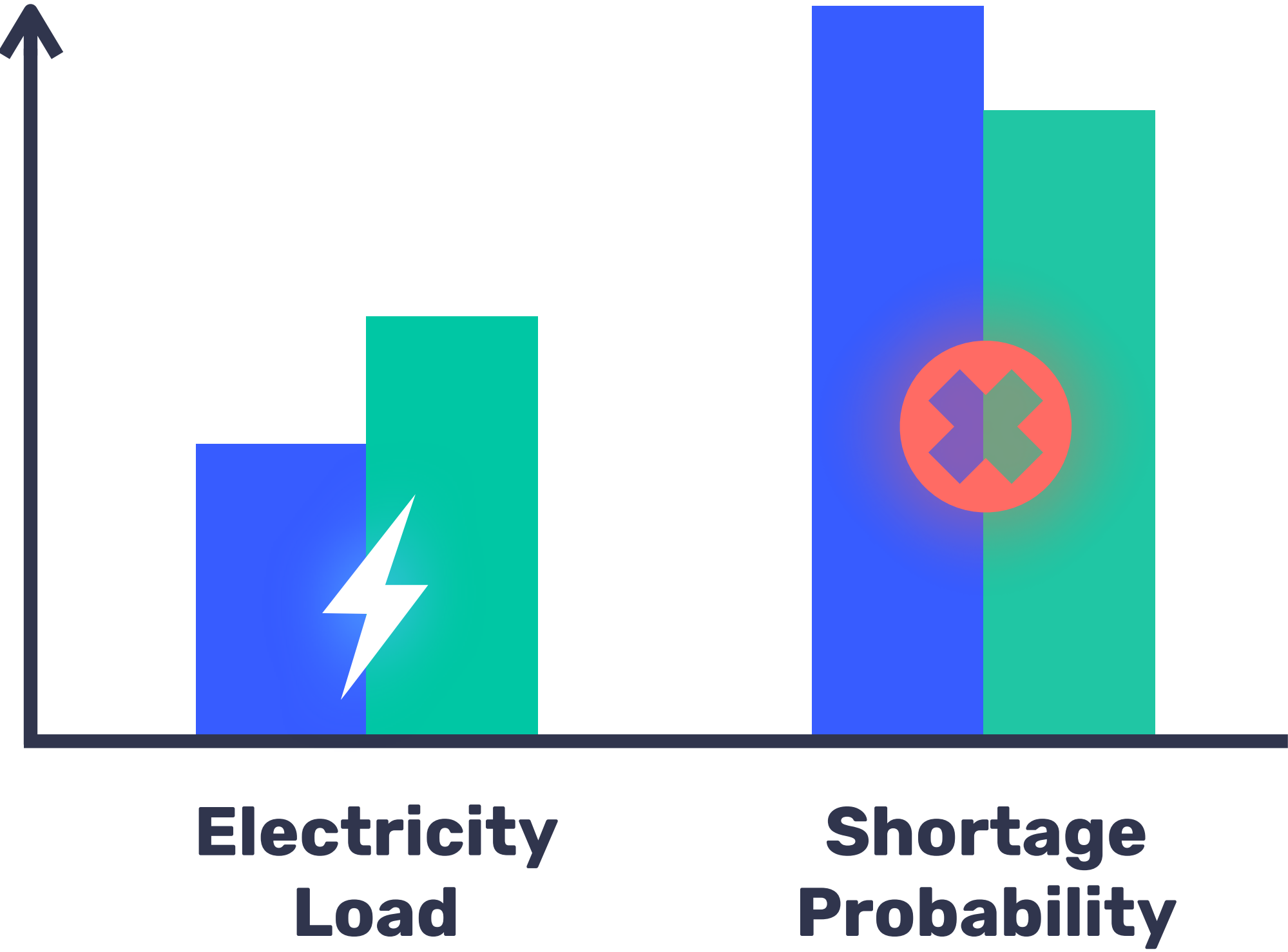
# RESULTS OF THE PPA



### Separated Electricity Supply



### Common Electricity Supply



**2**

# **INTRODUCTION TO PYCATSHOO**

# MODELLING

BUILDING A MODEL  
LIBRARY OF GENERIC  
COMPONENTS

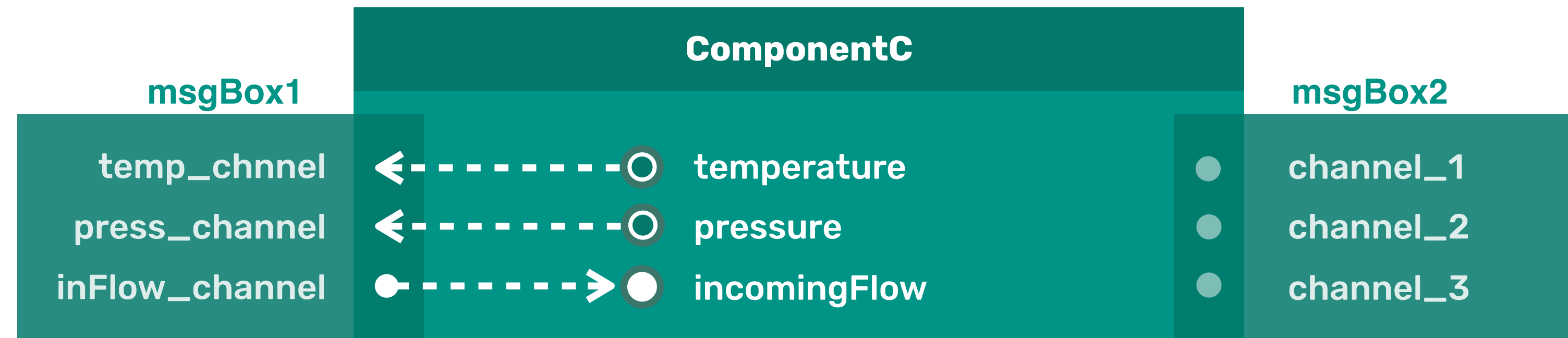
1

MODELLING  
A SPECIFIC  
SYSTEMS

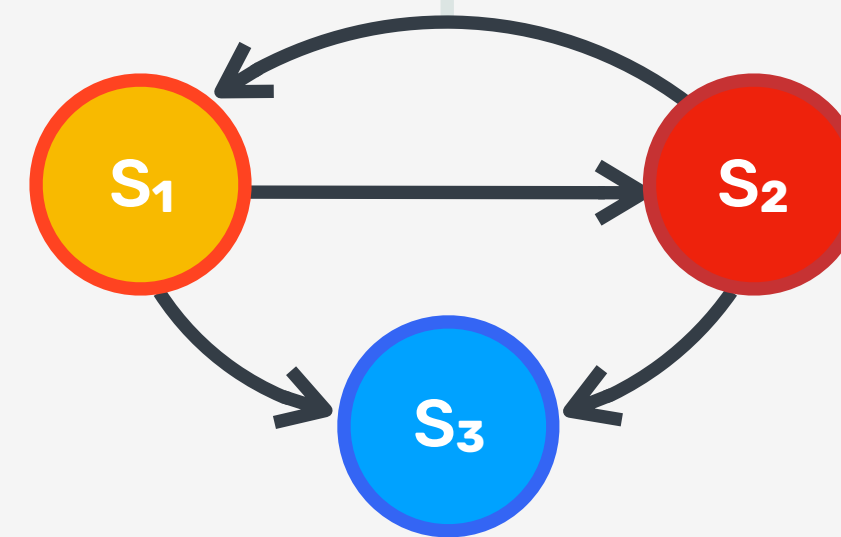
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**BUILDING A MODEL  
LIBRARY OF GENERIC  
COMPONENTS**

**1**



Transition:  $T > 10^\circ\text{C} \mid \text{Exp}(\lambda)$



ODE:  $\frac{dX}{dt} = f(X, t)$

SLE:  $A \cdot X = B$

MILP:  $\begin{array}{ll} \text{maximize} & C^T X \\ \text{such that} & A'x \leq B' \end{array}$

Continuous or discrete intrinsic state variables

Reference to a Stimulus from the external world

**Sensitive methods**

References: new values



ODE:  $\frac{dX}{dt} = f(X, t)$

SLE:  $A \cdot X = B$

MILP:  $\begin{array}{ll} \text{maximize} & C^T X \\ \text{such that} & A'x \leq B' \end{array}$

**Sensitive methods**

**References:** new values

**Transitions:** firing

**State:** in / out

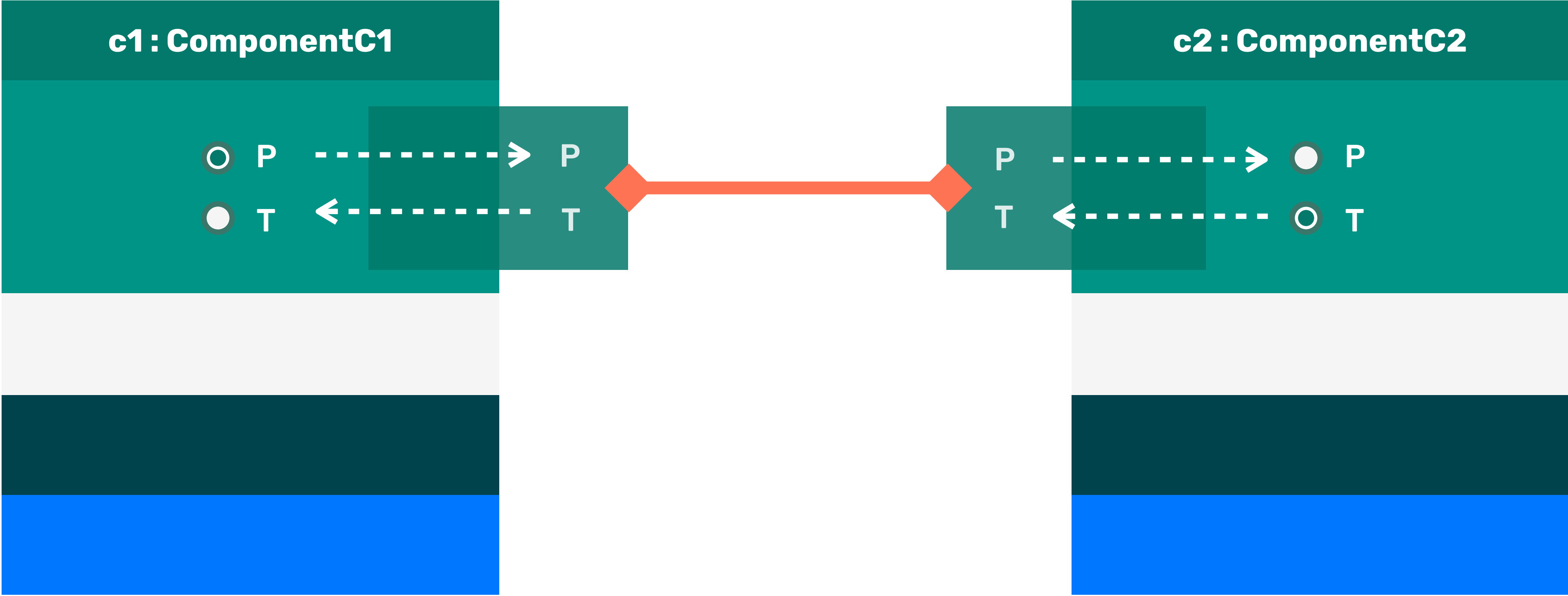
**Automata:** transition between states

**Simulation:** starting

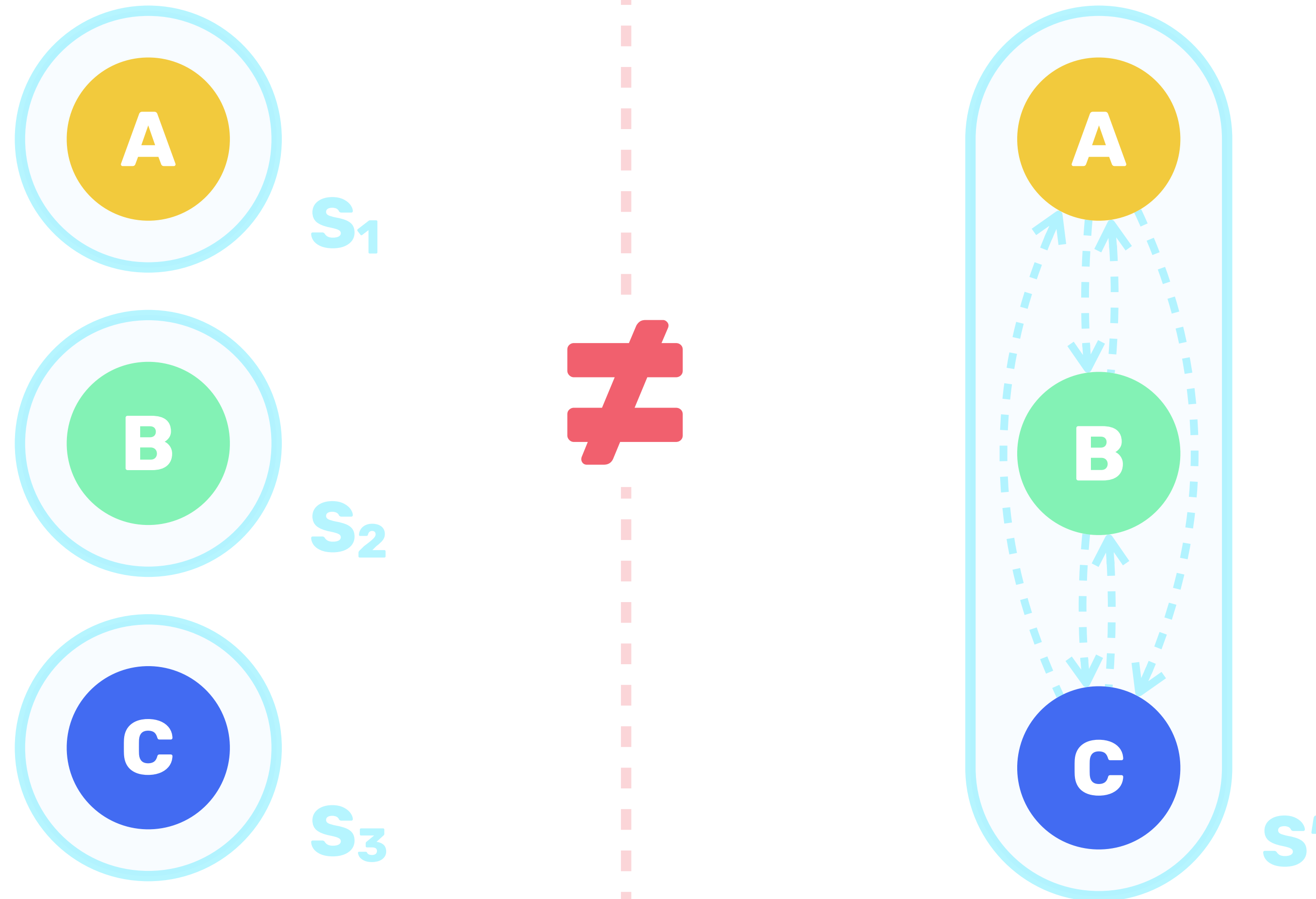
Triggers the execution  
of user defined actions

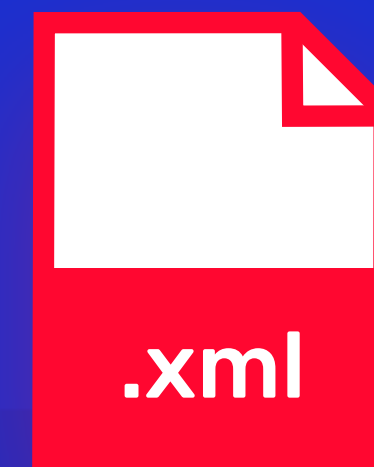
MODELLING  
A SPECIFIC  
SYSTEM

2



# CONCLUSION



The PyCATSHOO.org logo, featuring a yellow stylized 'P' icon followed by the text 'PyCATSHOO.org' in white and yellow.



**Thank you for your attention**